

2-9-5 Ripple Current and Life

The $\tan \delta$ of the aluminum electrolytic capacitor is larger than other types such as film capacitors, and heat generates inside electrolytic capacitors due to power loss when ripple current is applied. Heat generation effects the life of the capacitor because it causes a temperature rise.

1) Ripple Current and Heat Generation

The power loss due to ripple current being applied along with a DC voltage can be calculated by the following formula :

$$W = W_{AC} + W_{DC}$$

$$W = I_{AC}^2 \times R_e + V_{DC} \times I_{DC} \dots\dots\dots(2 - 7)$$

- W : Consumption of electricity by the capacitor (W)
- W_{AC} : Power loss due to ripple current (W)
- W_{DC} : Power loss due to DC (W)
- I_{AC} : Ripple current (A)
- R_e : E.S.R. of the capacitor
- V_{DC} : DC Voltage (V)
- I_{DC} : Leakage Current (A)

If the DC voltage is below the rated voltage, the leakage current is extremely small and becomes $W_{AC} \gg W_{DC}$. From this, power loss can be calculated by the following formula :

$$W = I_{AC}^2 \times R_e \dots\dots\dots(2 - 8)$$

The external temperature of the capacitor rises to a point where the internal heat generation balances with the heat radiation. The temperature rise up to a balance point can be given by the following formula:

$$I_{AC}^2 \times R_e = \beta \times A \times \Delta t \dots\dots\dots (2 - 9)$$

$$\Delta t = \frac{I_{AC}^2 \times R_e}{\beta \times A} \dots\dots\dots (2 - 10)$$

- β : Heat Radiation Constant ($10^{-3}W / ^\circ C \cdot cm^2$)
- A : Surface Area (cm^2)

When the size of the capacitor is $\phi D \times L$:

$$A = \frac{\pi}{4} D (D + 4L) \dots\dots\dots (2 - 11)$$

The surface area can be figured from the above equation.
 Δt = Temperature rise of ripple ($^\circ C$)

The relationship between internal resistance "Re," capacitance "C" and $\tan \delta$ is as follows :

$$R_e = \frac{\tan \delta}{C} \dots\dots\dots(2 - 12)$$

However, according to $\omega = 2\pi f$, $\dots\dots\dots (2 - 13)$

$$\Delta t = \frac{I_{AC}^2 \times R_e}{\beta \times A} = \frac{I_{AC}^2 \times \tan \delta}{\beta \times A \times C}$$

The heat radiation constant (β) and temperature rise multiplier, which is temperature rise ratio calculated by temperature rise at the surface Δt_s divided by at the core of element Δt_c and is expressed as α , is as shown in Table 2-4.

Table 2-4

Case dia (mm)	5 or less	6.3	8	10	12.5	16	
β	2.18	2.16	2.13	2.10	2.05	2.00	
α	1.0		0.94	0.90	0.85	0.80	
	18	20	22	25	30	35	40
	1.96	1.93	1.88	1.84	1.75	1.66	1.58
	0.77	0.75	0.74	0.71	0.67	0.64	0.62

α : Temperature rise ratio calculated $\alpha = \Delta t_s / \Delta t_c$

β : Heat radiation constant ($10^{-3}W / ^\circ C \cdot cm^2$)

2) Frequency Coefficient of Allowable Ripple Current

Equivalent series resistance of aluminum electrolytic capacitor (R_e) is frequency dependence. Higher the frequency, lower the ESR. Assuming that temperature rise due to ripple current at a frequency of (f_x) and at a frequency of (f_o) are same, when (R_o) is ESR at a frequency of (f_o) and (R_x) is ESR at a frequency of (f_x). The following equation would be set.

$$I_o^2 \times R_o = I_x^2 \times R_x$$

$$\therefore I_x = \sqrt{\frac{R_o}{R_x}} \times I_o \dots\dots\dots (2 - 14)$$

Thus, $\sqrt{R_o/R_x}$ becomes the frequency coefficient K_f . Table 2-5 shows examples of frequency coefficients.

Table 2-5 Frequency coefficient of allowable ripple current <Example>

• Snap - in terminal type capacitors (For input smoothing circuit)

Frequency (Hz)	50	60	120	300	1k	10k	50k-
Frequency coefficient (Kf)	16~100V	0.88	0.90	1.00	1.07	1.15	1.15
	160~250V	0.81	0.85	1.00	1.17	1.32	1.45
	315~450V	0.77	0.82	1.00	1.16	1.30	1.41

• Lead type capacitors (For output smoothing circuit)

Rated voltage(V)	Frequency (Hz)	50	120	300	1k	10k-
	Cap.(μF)					
6.3~100V	~56	0.20	0.30	0.50	0.80	1.00
	68~330	0.55	0.65	0.75	0.85	1.00
	390~1000	0.70	0.75	0.80	0.90	1.00
	1200~15000	0.80	0.85	0.90	0.95	1.00

3) Temperature Coefficient of Allowable Ripple Current

The applicable ripple current value below the maximum operating temperature must be limited by specified ripple temperature rise at the center of element per ambient temperature. (Table 2-6.)

Table 2-6 Limit of element core temperature rise (Over 315 Voltage with Snap-in terminal type capacitors)

Ambient Temperature ($^\circ C$)	40	55	65	85	105
Δt_c ($^\circ C$)	30	30	25	15	5

4) The method which seeks for effective current value from Ripple current wave form

In case that a ripple, which ripple current of high

frequency switching is superimposed upon commercial frequency ripple, is applied, such as in switching power supplies, inverter type supplies and active filter circuits, there is a method to obtain the effective value from the waveform pattern in Table 2-7 by finding the similar waveform observed in actuality.

Table 2-7 Current Wave and Calculation Expression for Effective Value

	Wave form	Formula of effective value
①		$I_{rms} = \frac{I_p}{\sqrt{2}}$
②		$I_{rms} = I_p \sqrt{\frac{T_1}{2T}}$
③		$I_{rms} = I_p \sqrt{\frac{T_1}{T}}$
④		$I_{rms} = I_p \sqrt{\frac{T_1}{3T}}$

Effective ripple value is calculated from the wave form of ripple, which ripple current of high frequency switching (I_H) is superposed upon ripple current of commercial frequency (I_L) (as in Figure 2-17), by dividing it into each frequency component.

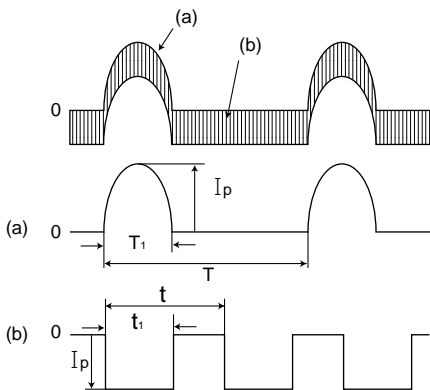


Fig. 2-17

Setting Model ② as the ripple current for a low frequency component (I_L):

$$I_L = I_p \times \sqrt{\frac{T_1}{2T}} \dots\dots\dots (2-15)$$

Setting Model ③ as the ripple current for a high frequency component (I_H):

$$I_H = I_p \times \sqrt{\frac{t_1}{t}} \dots\dots\dots (2-16)$$

The equivalent series resistance of aluminum electrolytic capacitors has frequency characteristics; so if the frequency is different from the standard, it is converted to meet the standard frequency. If the frequency coefficient

for low frequency components is labeled "K_{FL}" and the frequency coefficient for high frequency components is labeled "K_{FH}," the synthetic ripple "I_n" converted to the standard frequency is :

$$I_n = \sqrt{\left(\frac{I_L}{K_{FL}}\right)^2 + \left(\frac{I_H}{K_{FH}}\right)^2} \dots\dots\dots (2-17)$$

5) Estimating Temperature Rise due to Ripple Current

Power loss is proportional to the second power of ripple current. If the temperature rises at the middle of the element, when the permissible ripple current "I_o" (A), is labeled "Δt_o," the temperature rise when ripple current "I_n" (A) is applied would be as follows :

$$\Delta t_n = \left(\frac{I_n}{I_o}\right)^2 \times \Delta t_o \dots\dots\dots (2-18)$$

The temperature rise "Δt_o" for a 105°C snap-in terminal type capacitor is approximately 5°C. However, since the equivalent series resistance "R_e" of aluminum electrolytic capacitors differs according to the temperature and because the ripple current wave - form has many complex frequency components in actuality, we recommend that the temperature rise is actually measured with thermocouples.

2-9-6 Estimated Life

The estimated life of an aluminum electrolytic capacitor is represented multiplying the specified life time on Nichicon catalog F_r, F₁, and F_u as explained in 2-9-1. Shown below are the formulase for obtaining the expected life for the large can type aluminum electrolytic capacitors and the miniature aluminum electrolytic capacitors. For further details, consult Nichicon.

(Large can type)

Formula 2-19 is for obtaining the estimated life of a large can type electrolytic capacitor.

For the formula for screw terminal capacitors, please consult Nichicon.

$$L_n = L_o \times 2^{\frac{T_o - T_n}{10}} \times 2^{1 \cdot \frac{\Delta t_n}{K} \Delta t_n - t_o \times \left(\frac{I_n}{I_m}\right)^2} \dots\dots\dots (2-19)$$

L_n: Estimated life (h) at ambient temperature of T_n (°C) with a ripple current I_n (Arms) applied.

L_o: Specified life time (h) at maximum operating temperature T_o (°C) with the specified maximum allowable ripple current I_m (Arms) at T_o (°C) applied

T_o: Maximum operating temperature of the capacitor (°C)

T_n: Ambient temperature of the capacitor (°C)

Δt_o : The internal temperature rise (°C) of the capacitor at ambient temperature T_o (°C) with the maximum allowable ripple current I_m (Arms) at T_o applied

Δt_n : The internal temperature rise (°C) of the capacitor at ambient temperature T_n (°C) with the actually applied ripple current I_n (Arms)

K: Acceleration coefficient of temperature rise due to

ripple [refer to the chart below ; applicable coefficient is for the range below the maximum operating temperature T_o ($^{\circ}\text{C}$)]

The formula is applicable for the range of ambient temperature T_n of 40°C and the maximum operating temperature T_o . Please note that fifteen years is generally considered to be the maximum for the estimated life obtained by the above formula.

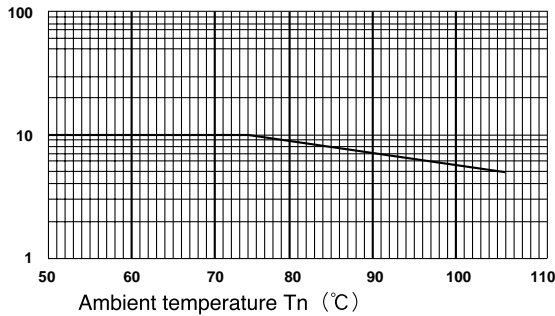


Fig 2-18 Acceleration coefficient of temperature rise due to ripple; K

(Miniature type)

There are two formulase for obtaining the estimated life of a miniature aluminum electrolytic capacitor, depending on the life specification of series on Nichicon catalog as shown in formulase 2-20 and 2-21.

(1) Capacitors life time is specified. with rated DC vortage applied only

$$L_n = L \times 2^{\frac{T_o - T_n}{10}} \times \frac{1}{B_n} \dots\dots\dots (2-20)$$

$$\text{Where } B_n = 2^{\alpha} \times \left(\frac{I_n}{I_m}\right)^2 \times 2^{-\left(\frac{T_o - T_n}{30}\right)}$$

(2) Capacitors life time is specified with D.C. bias voltage plus rated ripple current.

$$L_n = L_o \times 2^{\frac{T_o - T_n}{10}} \times 2^{\left\{ 1 - \left(\frac{I_n}{I_m}\right)^2 \times 2^{-\left(\frac{T_o - T_n}{30}\right)} \right\}} \dots\dots\dots (2-21)$$

(2-20) , (2-21) :

$$2^{\frac{T_o - T_n}{10}} \quad T_n() \quad 40 : 2^{\frac{T_o - 40}{10}}$$

$$2^{-\left(\frac{T_o - T_n}{30}\right)} \quad T_n() \quad 50 : 2^{-\left(\frac{T_o - 50}{30}\right)}$$

L_n : Estimated life time (h) at ambient temperature of T_n ($^{\circ}\text{C}$) with a ripple current I_n (Arms) applied.

L : Specified life time (h) at maximum operating temperature T ($^{\circ}\text{C}$) with the rated DC voltage applied.

L_o : Specified life time (h) at maximum operating temperature T ($^{\circ}\text{C}$) with the specified maximum allowable ripple current I_m (Arms) at T ($^{\circ}\text{C}$) applied.

T_o : Maximum operating temperature of the capacitor ($^{\circ}\text{C}$)

T_n : Ambient temperature of the capacitor ($^{\circ}\text{C}$)

I_m : Rated ripple current (Arms) at maximum operating temperature T ($^{\circ}\text{C}$)

I_m need to be valued in the same frequency as that of the ripple current being used by multiplying specified ripple-frequency coefficient in Nichicon catalog.

I_n : Ripple current (Arms) actually applied at ambient temperature T_n ($^{\circ}\text{C}$)

B_n : Acceleration coefficient when ripple I_n (Arms) is applied at ambient temperature T_n ($^{\circ}\text{C}$)

α : Life constant

Contact us for details regarding the life constant.

The formula is applicable for the range of ambient temperature T_n of 40°C and the maximum operating temperature T_o . Please note that calculated life time is for reference only and not guaranteed. Typically, fifteen years is generally considered to be the maximum for the estimated life obtained by the above formula.